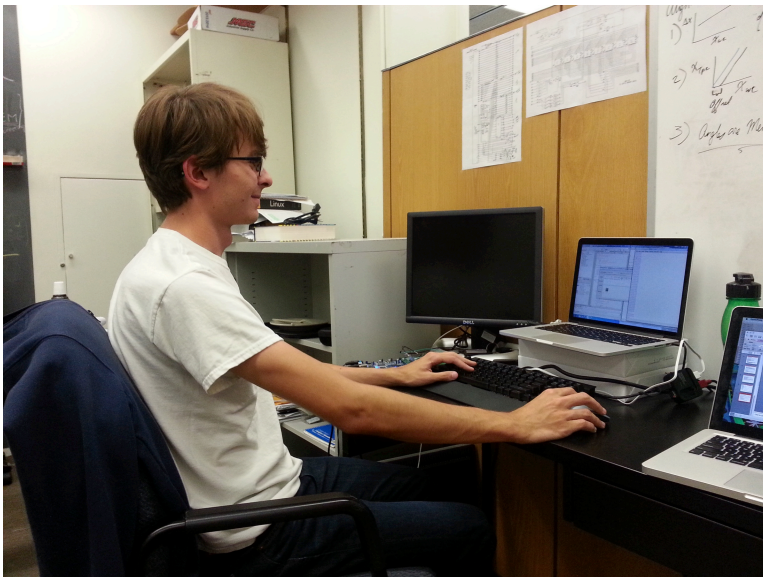


# Observation of $d = vt$ in the LArIAT TOF System



Dan Smith, Rob Carey  
Lariat Post-Equinox Summit

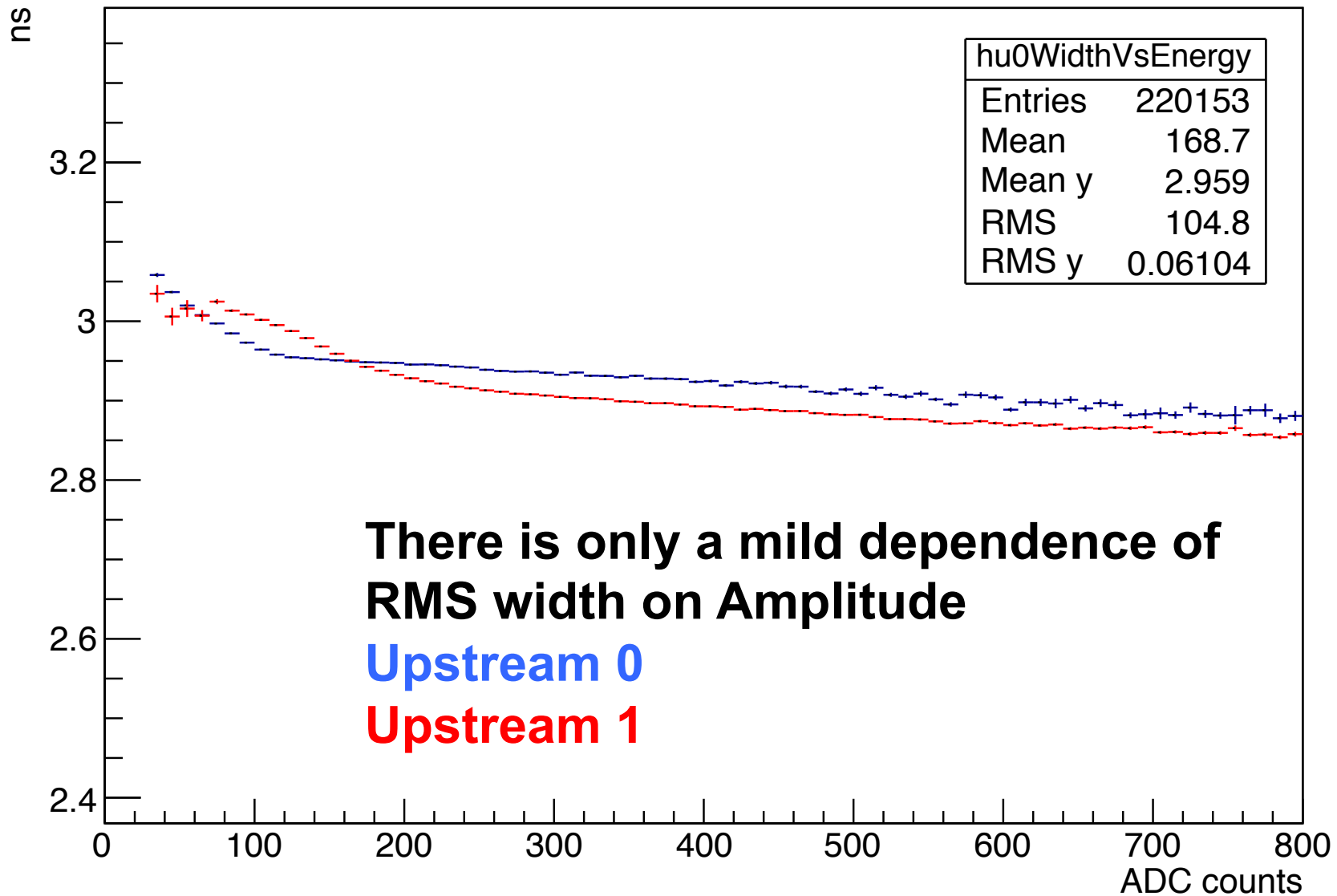
## Previous Presentation: Template fitting

- If the shape of the pulse is consistent (significant variations in amplitude and offset only), we can use that shape to improve the timing resolution considerably. In BNL E821, we sampled our SCI-FI calorimeter pulses every 2.5 ns but achieved 60 ps resolution. It helps to have limited optical paths and a lot of light!

### Muon g-2 pulse fitter: V. Logashenko

- Find a statistic which characterizes the relative phase of the sampling and the peak of the pulse

## Upstream Scintillators: Width Profile vs. Amplitude



# Determining true pulse maximum within the bin

Define the **pseudotime**:

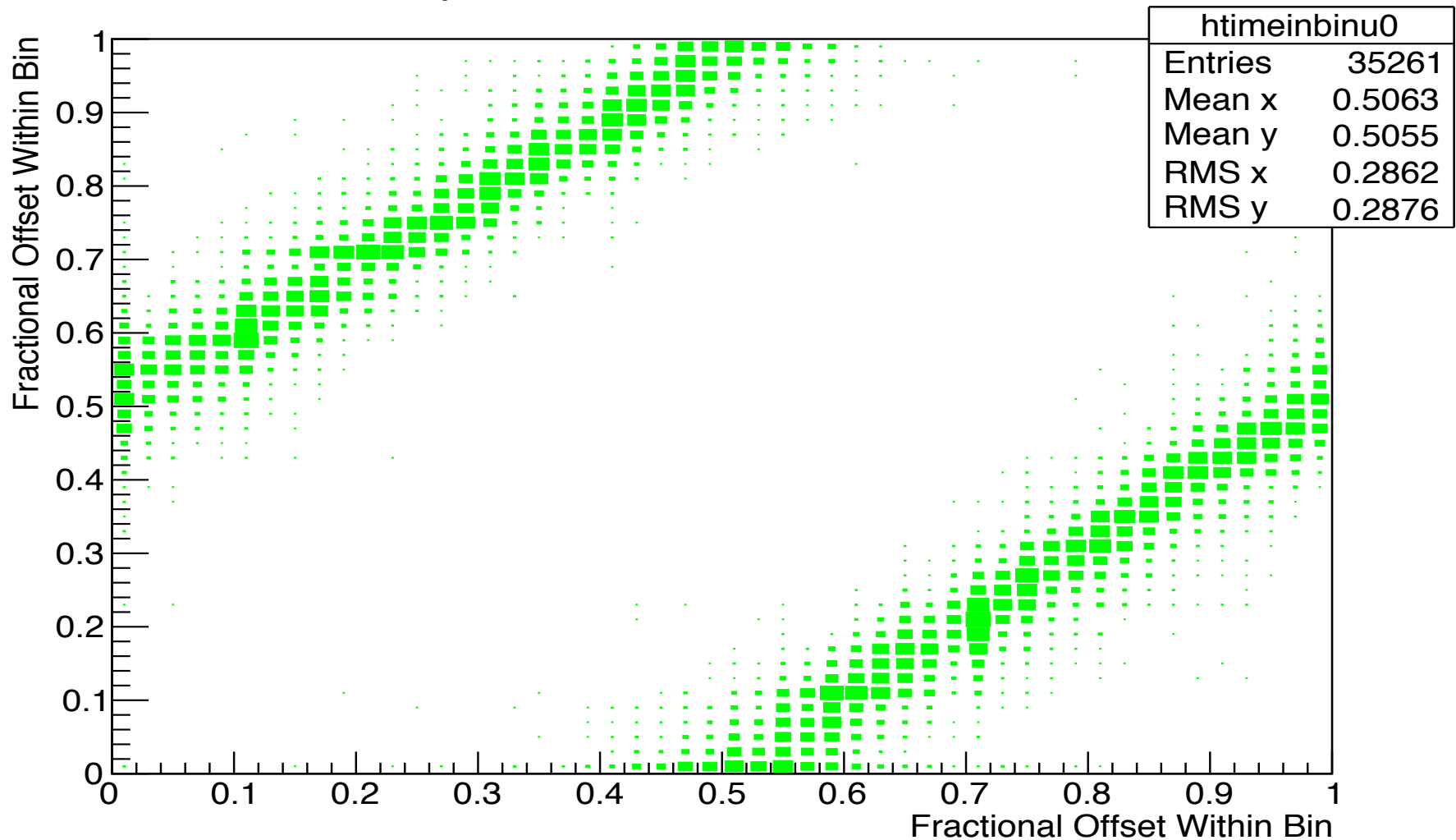
$$\psi = T * (2/\pi) \operatorname{atan} ((\text{MAX}-\text{PREV})/(\text{MAX}-\text{NEXT}))$$

where

1.  $T$ : sampling period
2.  $\text{MAX}$ : maximum sample
3.  $\text{PREV}$ : sample preceding  $\text{MAX}$
4.  $\text{NEXT}$ : sample following  $\text{MAX}$

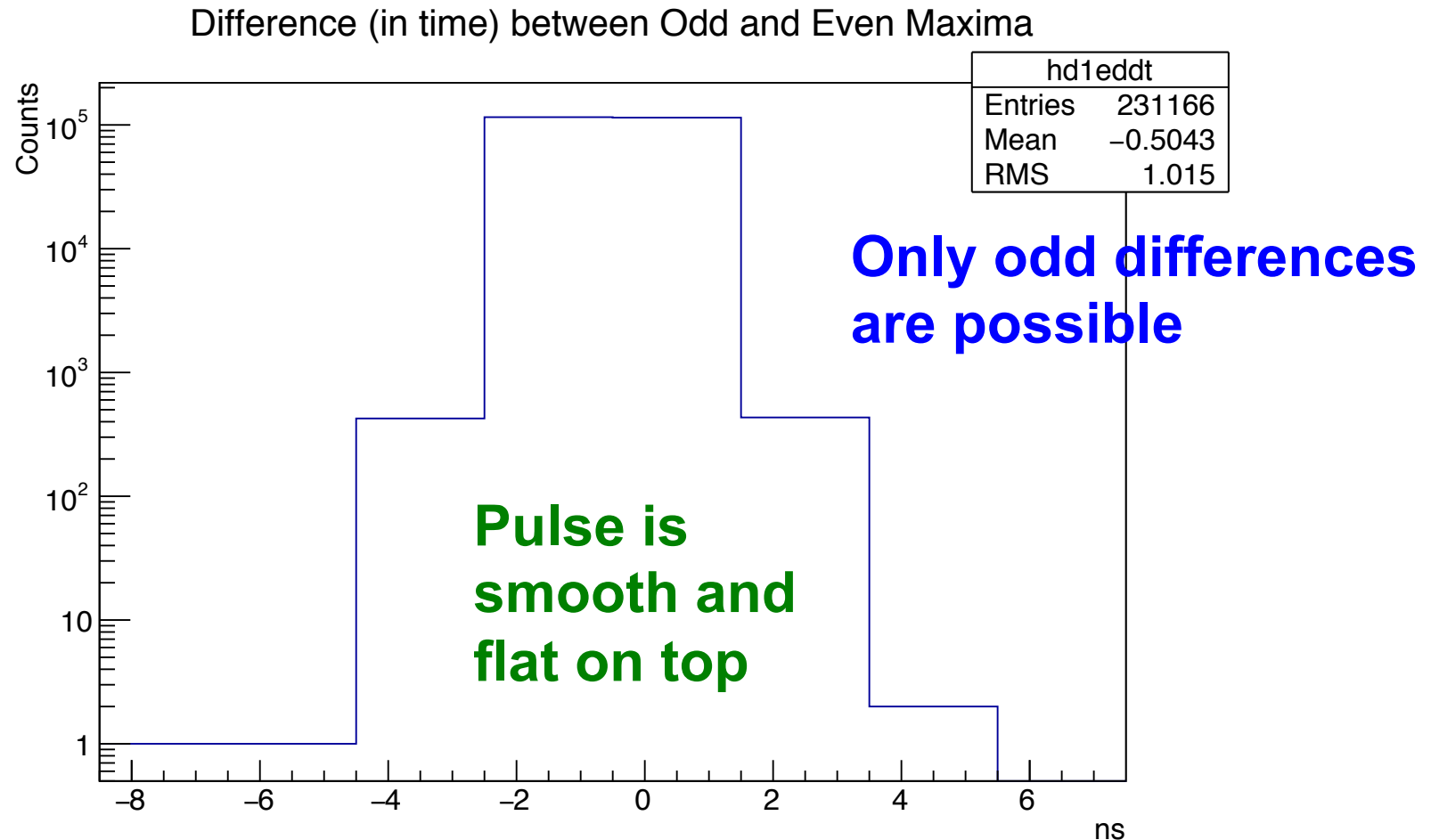
**The pseudotime tells us how we caught the  
pulse : **sampling phase****

## Upstream time 0 Odd vs even



**LArIAT TOF sampling is so dense that we can define two pseudotimes (odds and evens) and determine a time from each**

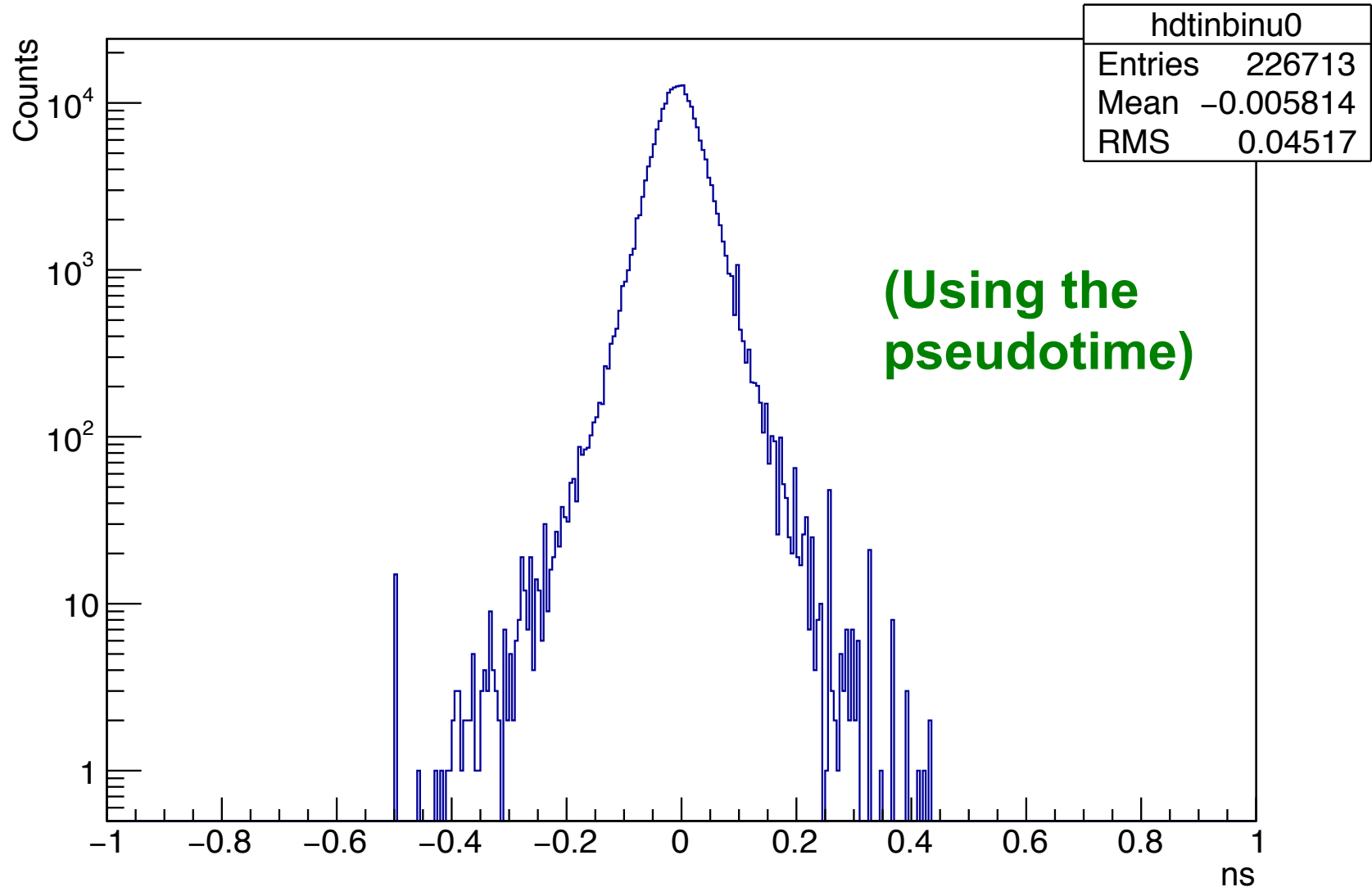
# How do the odd- and even sample views of the pulse compare? Do they agree?



## Maybe not so badly

- Difference between odd and even maxima should usually be 1 or -1 (**It is**)
- If something funky is going on at flattop, that difference might be 3 or -3 (**Yes, but down by two orders of magnitude**)
- Not much else going on

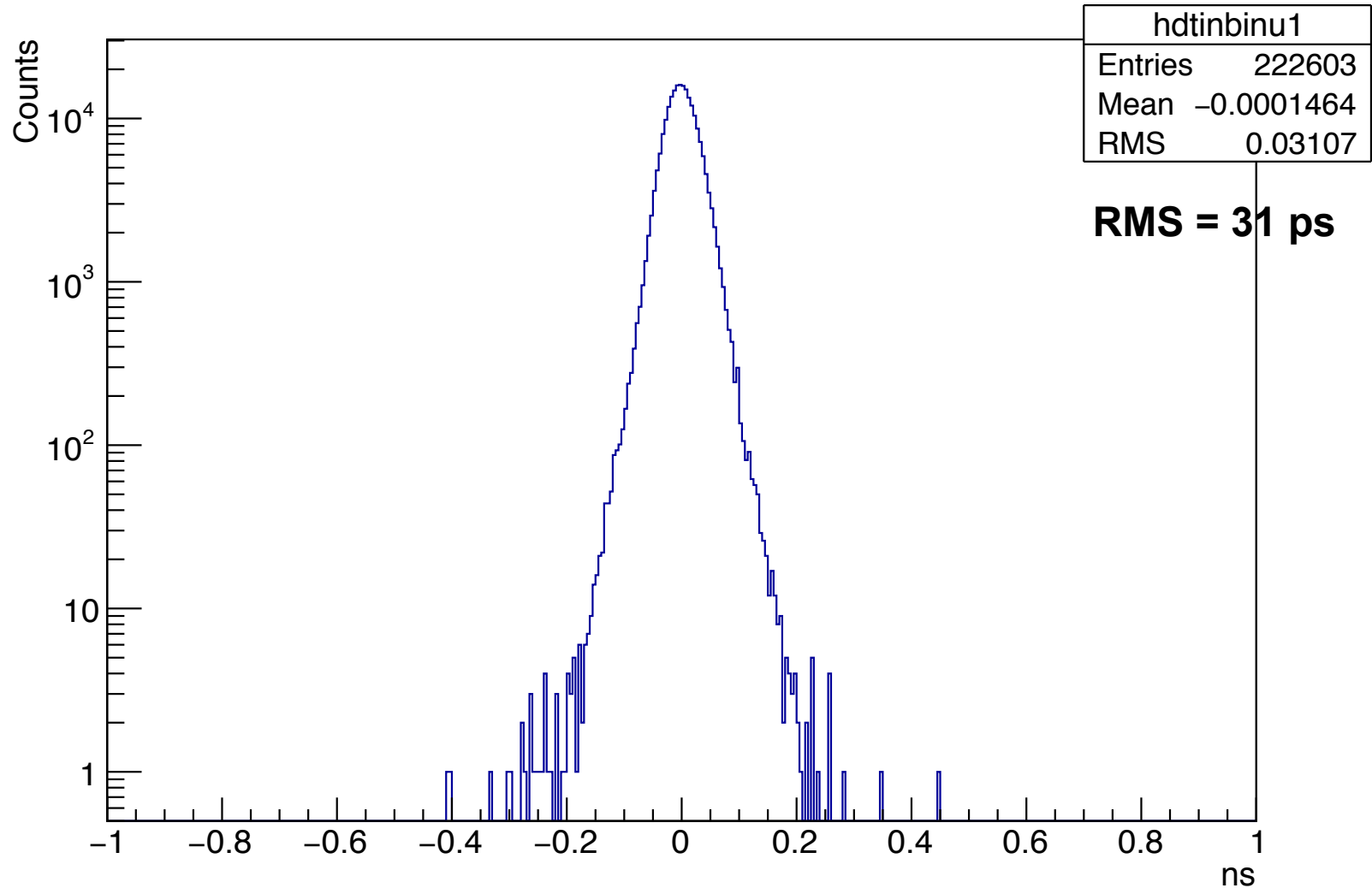
## Upstream0: Odd-Even Time Difference



The two views agree nicely for Upstream Counter 0



## Upstream1: Odd-Even Time Difference

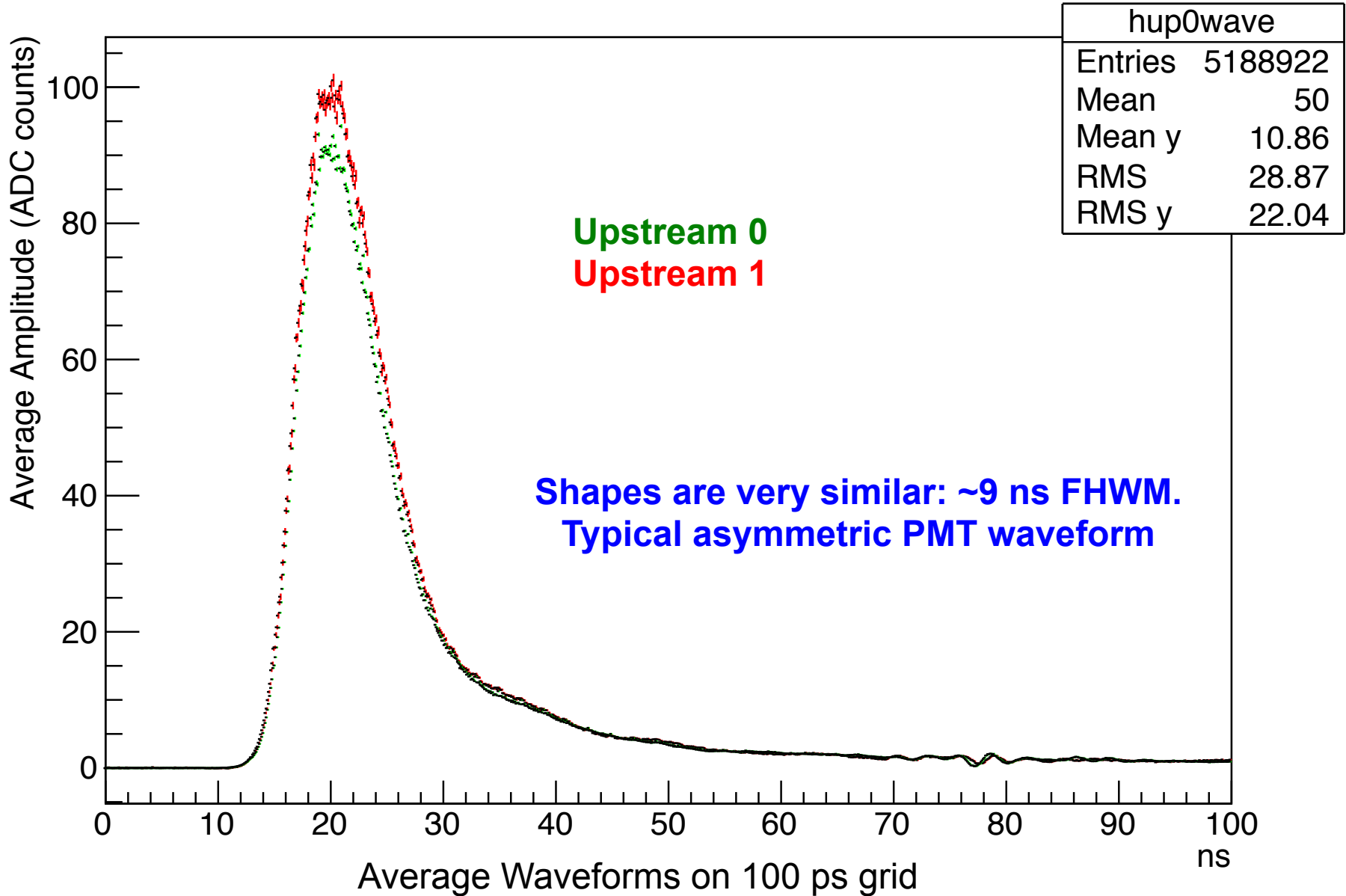


Odd and Even views also agree for Upstream Counter 1

## We can make the connection more precise and more useful

- $\psi$  is a proxy for the time-within-the-time-bin
- $\psi$  changes monotonically with sampling phase
- If the pulses arrive at random times WRT to the sampling clock, we can immediately construct a mapping  $\mathcal{M}$  from pseudotime to “time-within-the-time-bin”
- With the assumption of random arrival and armed with  $\mathcal{M}$ , we can construct the average pulse shape

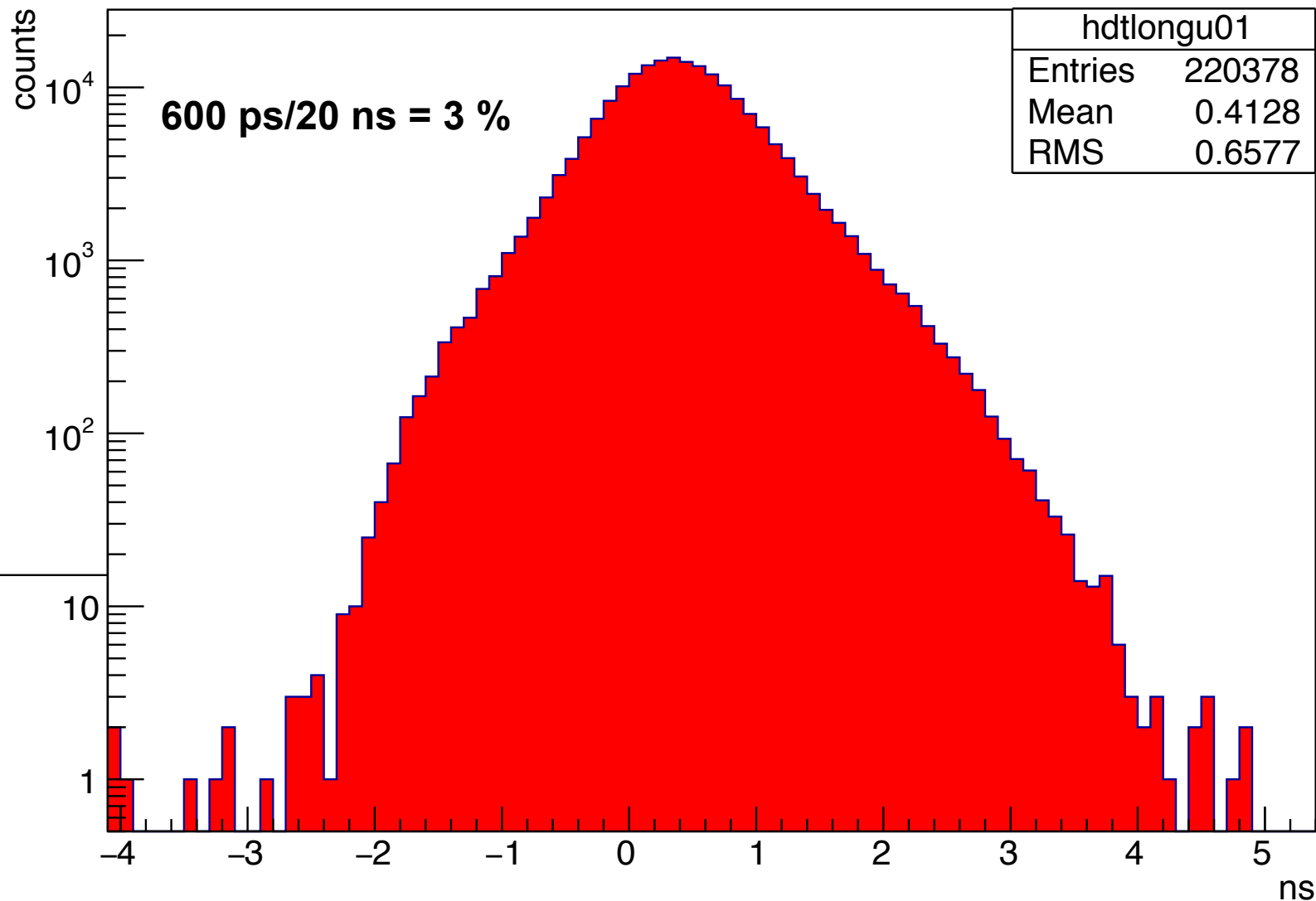
## Upstream Waveforms



**So far, our template fitting has been an interesting academic exercise...**

- Do upstream 0 and upstream 1 agree on the time?
- If not, why not?

## Upstream Counter Time Difference



There's more to good timing than waveform analysis<sup>13</sup>

## Taking a Closer Look

- Upstream Scintillator is pretty big and PMTs 0 and 1 are far apart.
- Scintillator is 15 cm x 15 cm x 5.08 cm (lariat.gdml) and sits ~ 30 cm from first MWPC
- That said, there are lots of dts as large as a couple of ns – even in scintillator, light travels ~20 cm/ns
- JMStJ: use tracking chambers to find impact point on scintillators (for Picky Tracks)
- Start with Upstream Scintillator: PMTs 0 and 1

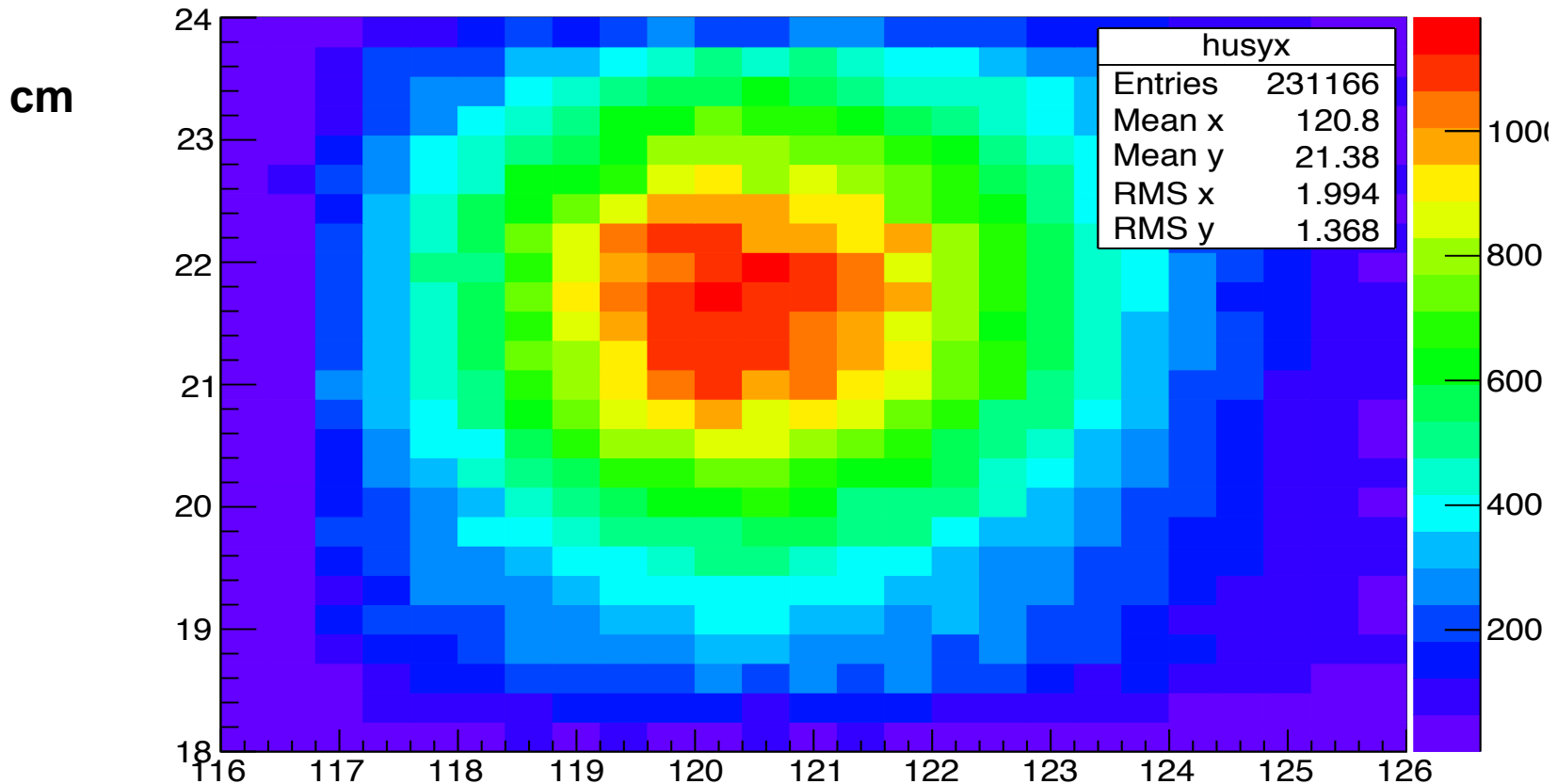
# Dan leaps into action!

- 200k Picky Tracks
- Fitted parameters
- All the hits – to project back upstream
- Waveforms from 4 TOF PMTs

# Where is the beam on the upstream scintillator?

Upstream XY

Scintillator is a diamond –  
this is the projected image  
of hits in 1<sup>st</sup> WCs



It's round and centered

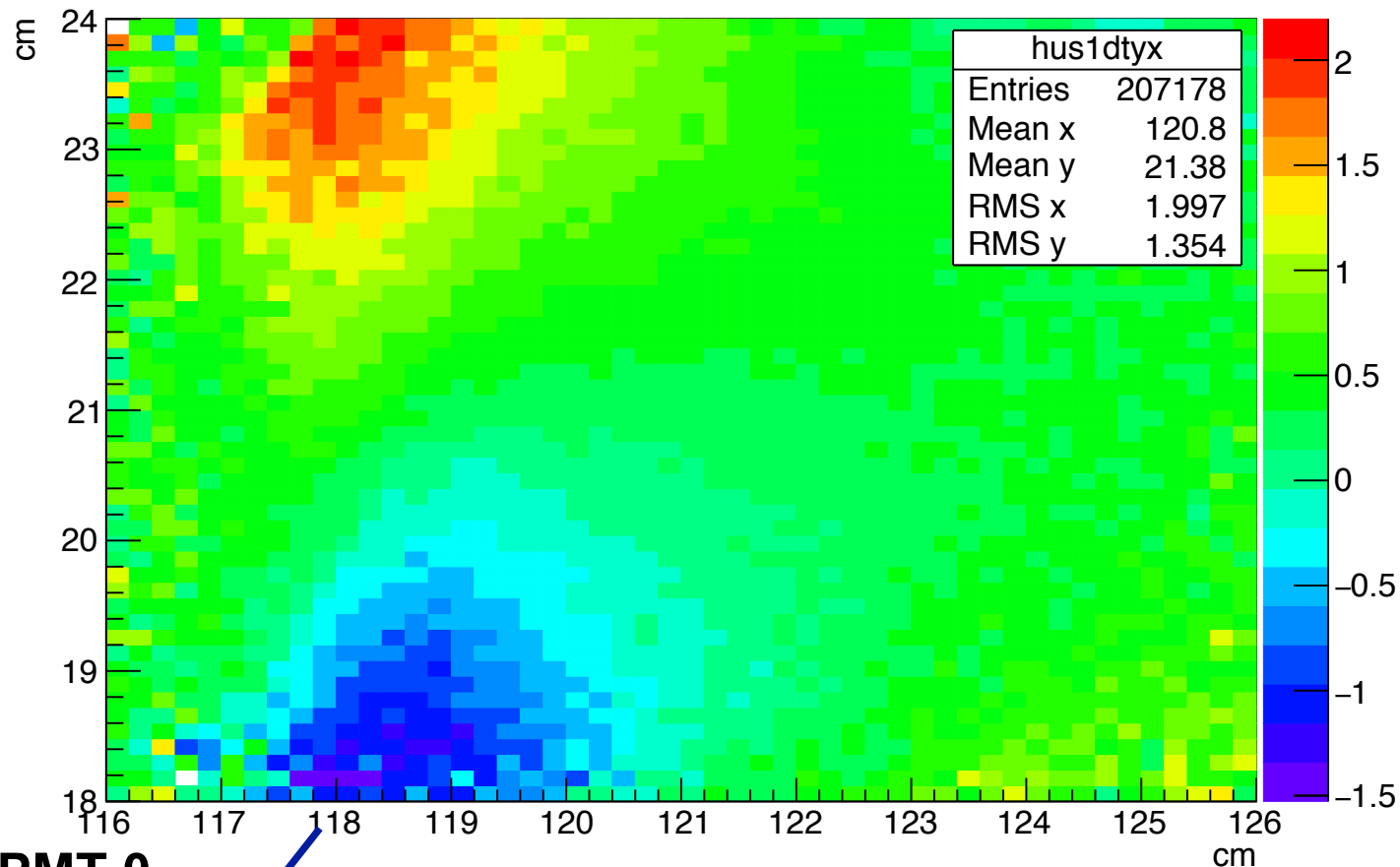
cm



How does  $dt(\text{PMT1-PMT0})$  vary  
over the upstream scintillator?

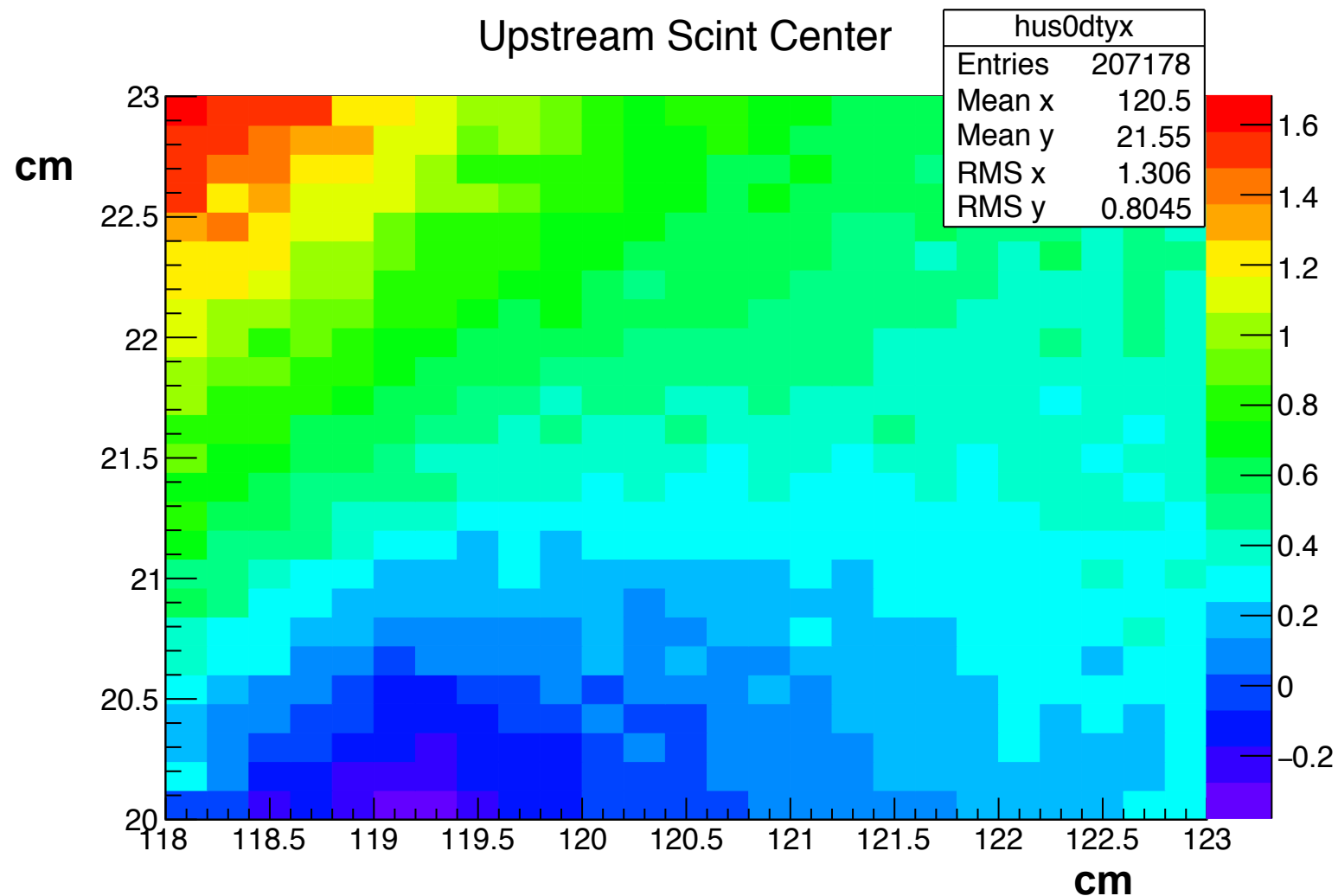
To PMT 1

Upstream Scintillator: Broad View



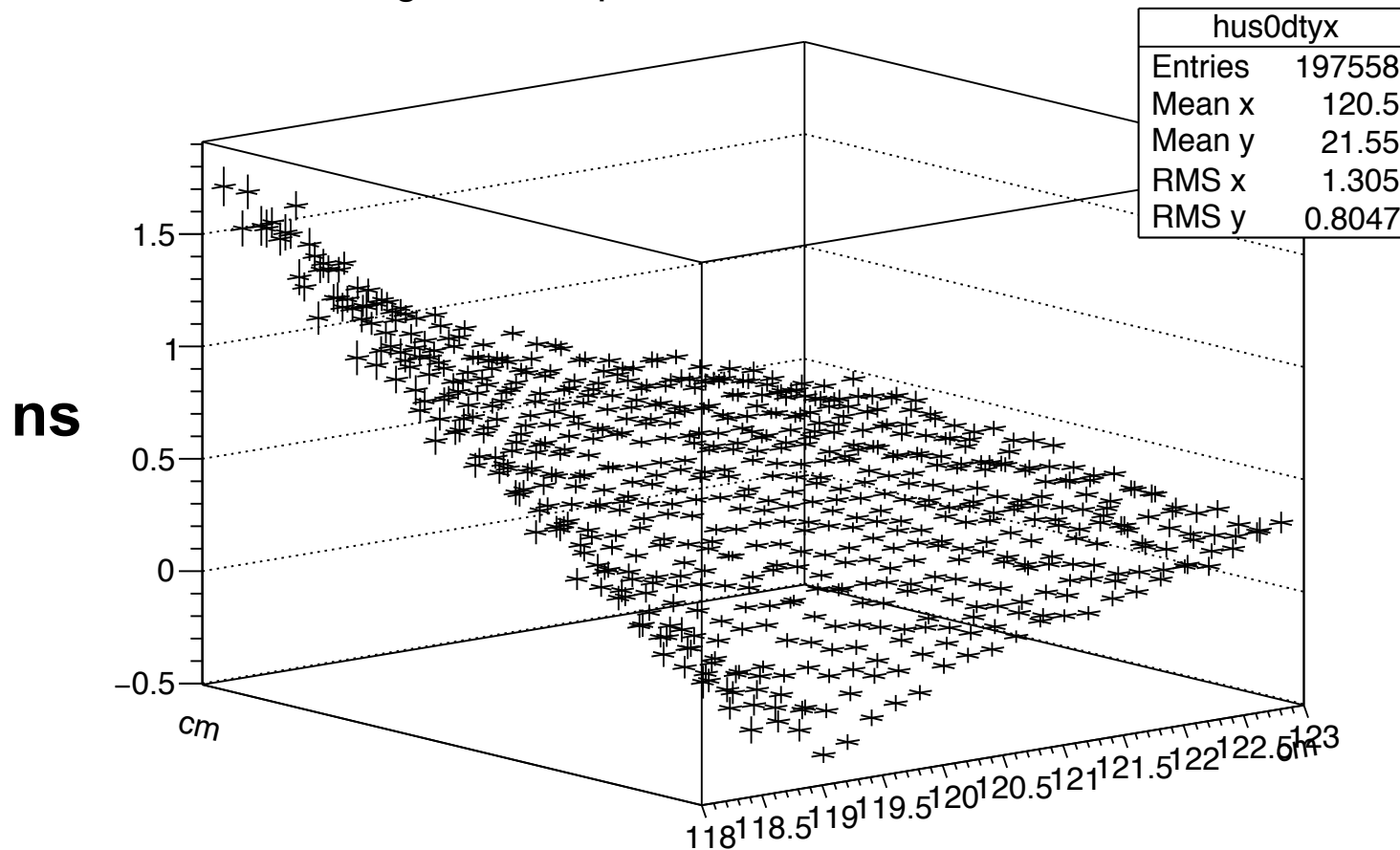
To PMT 0

# How does $dt$ (PMT1-PMT0) vary over the scintillator?



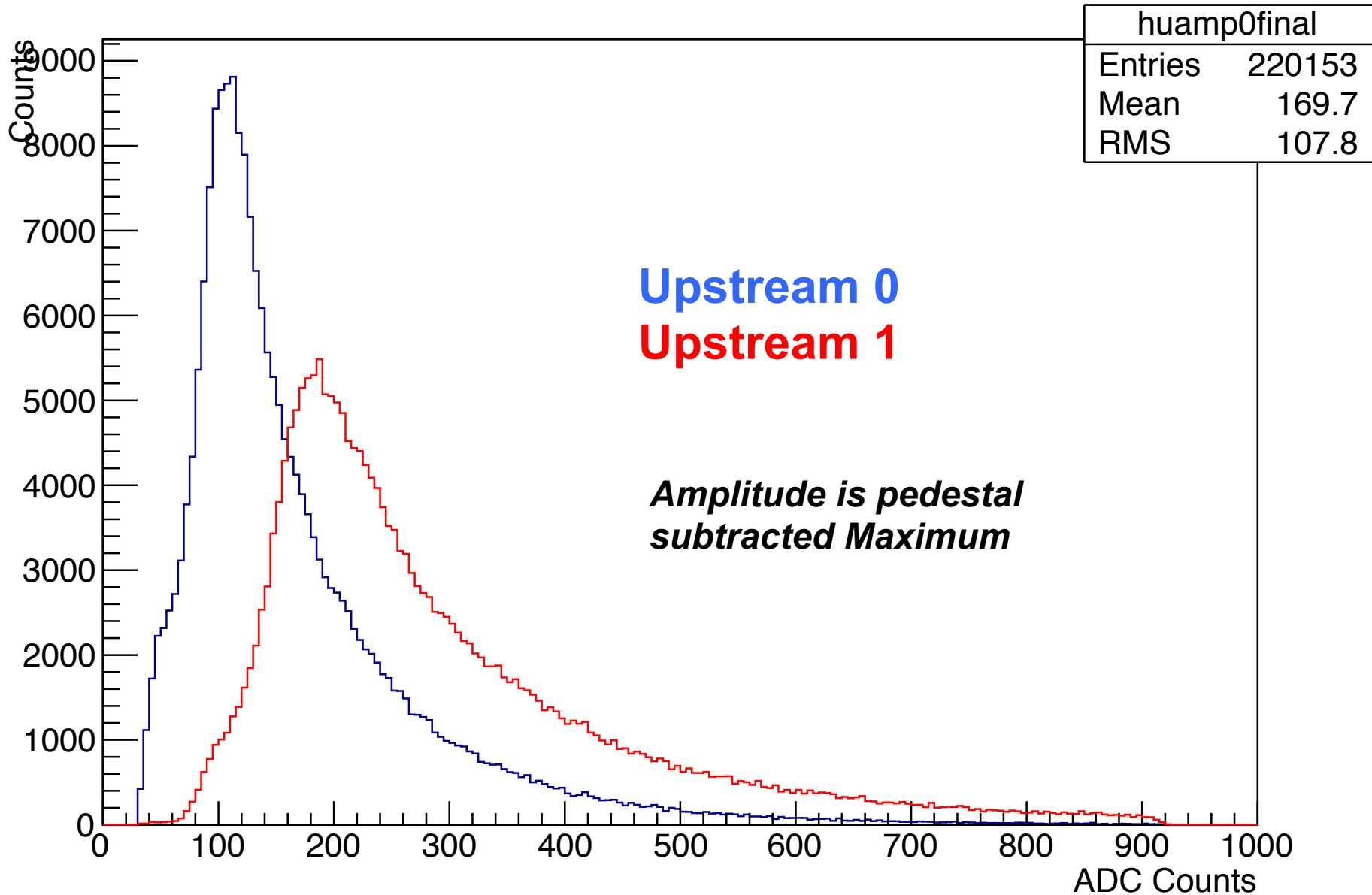
# Halcyon Days of 3D rotation

Average dt for Upstream Scintillators vs X and Y



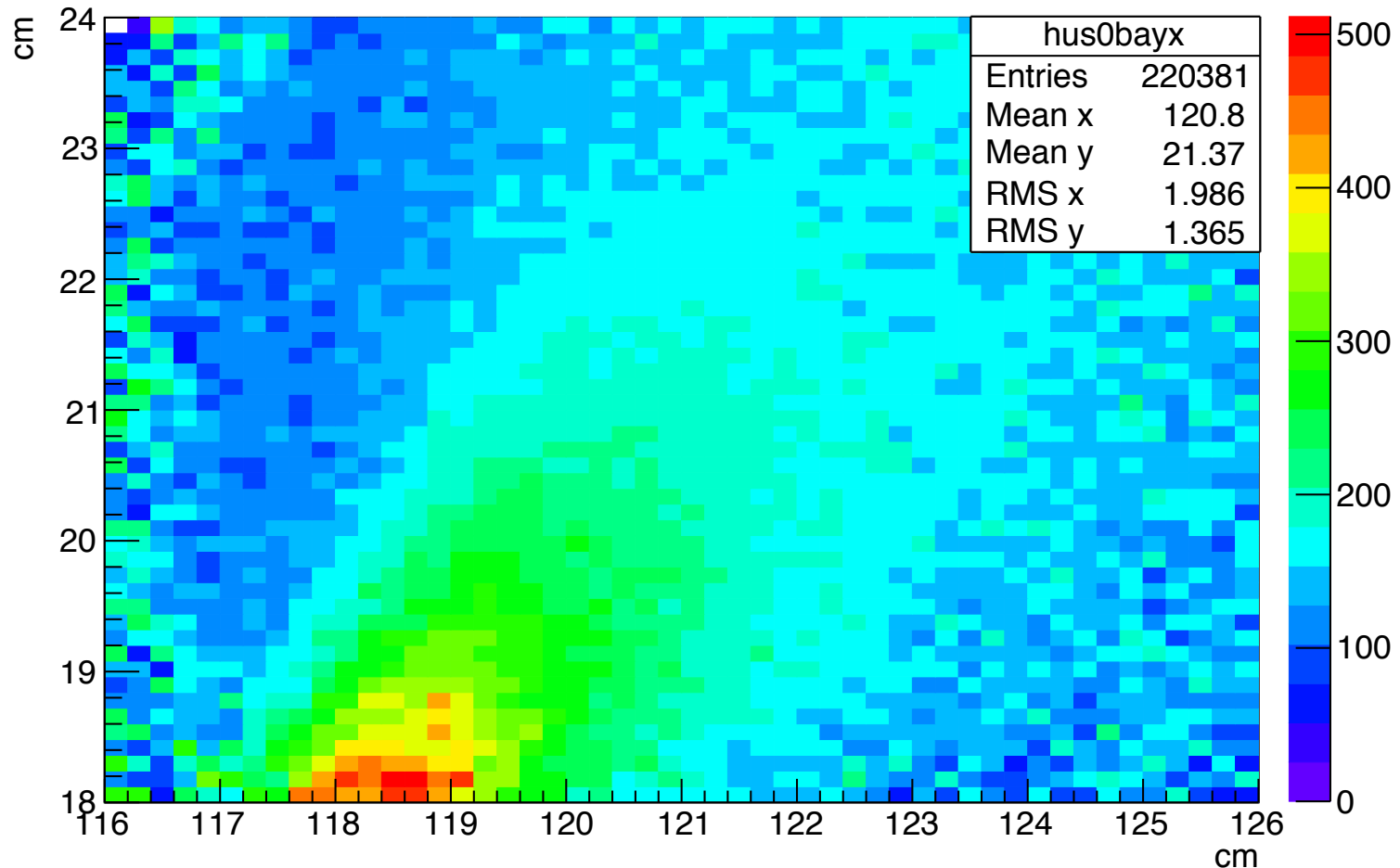
Central Region of Scintillator

## Upstream Scintillators: Amplitude



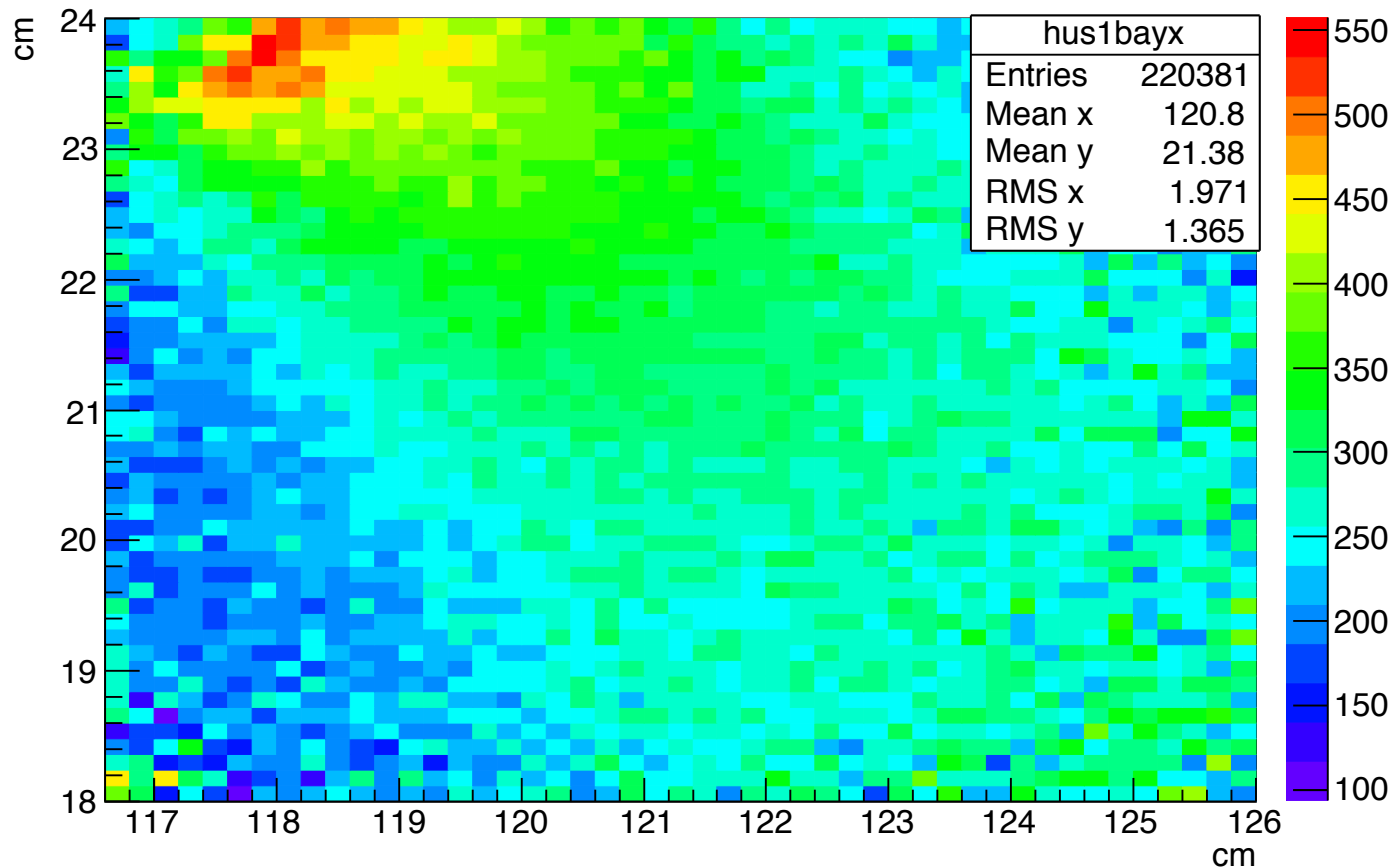
# How does the pulse amplitude vary?

Average Pulse Height(ADC counts) TOF PMT0 by X and Y



# How about pulse amplitude in PMT1?

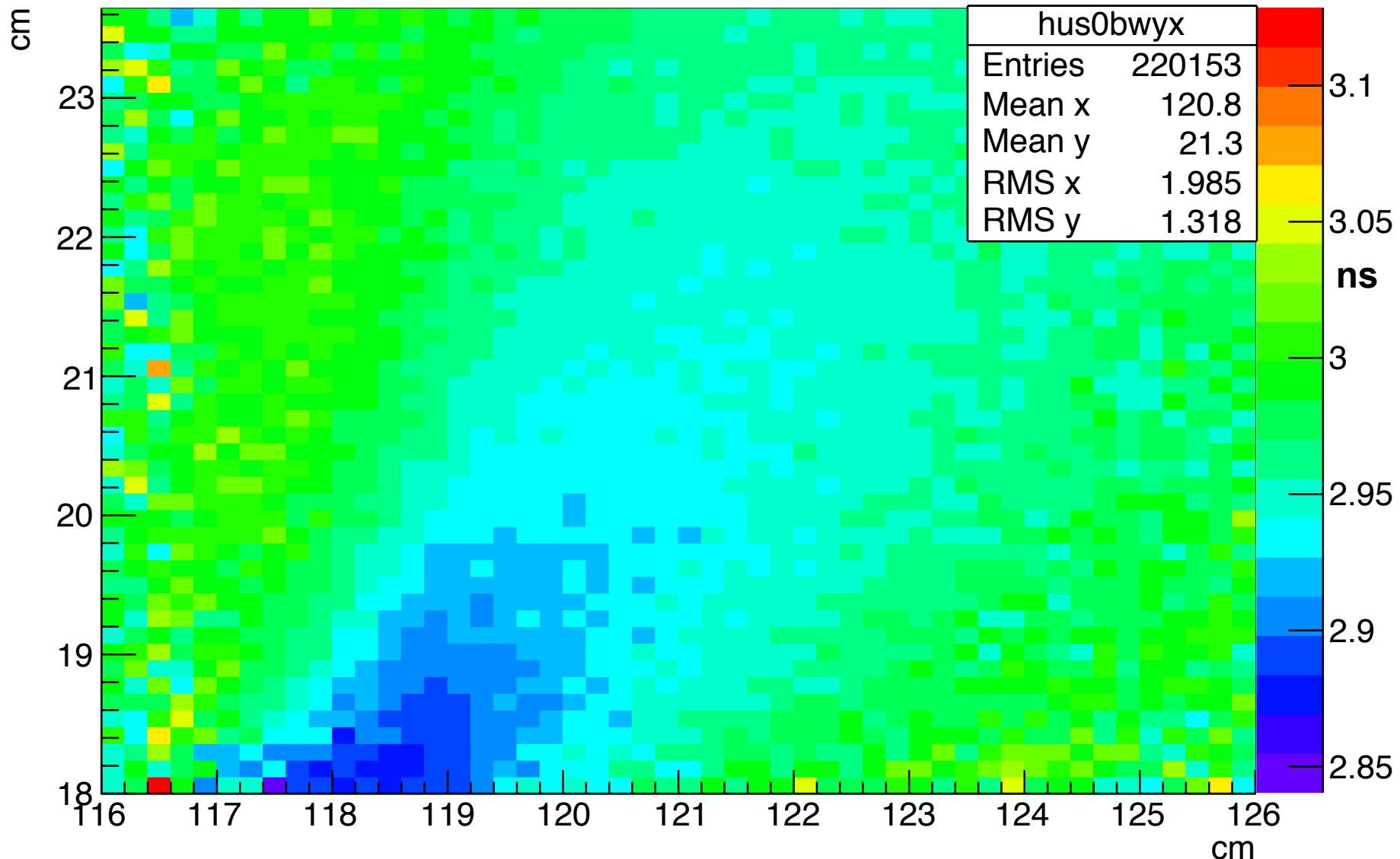
Average Pulse Height(ADC counts) TOF PMT1 by X and Y



## Pulse height variation in PMTs

- Range is pretty impressive: factor 5 or so for both PMTS
- Variation is highly directional, corresponding to angular acceptance of PMTs

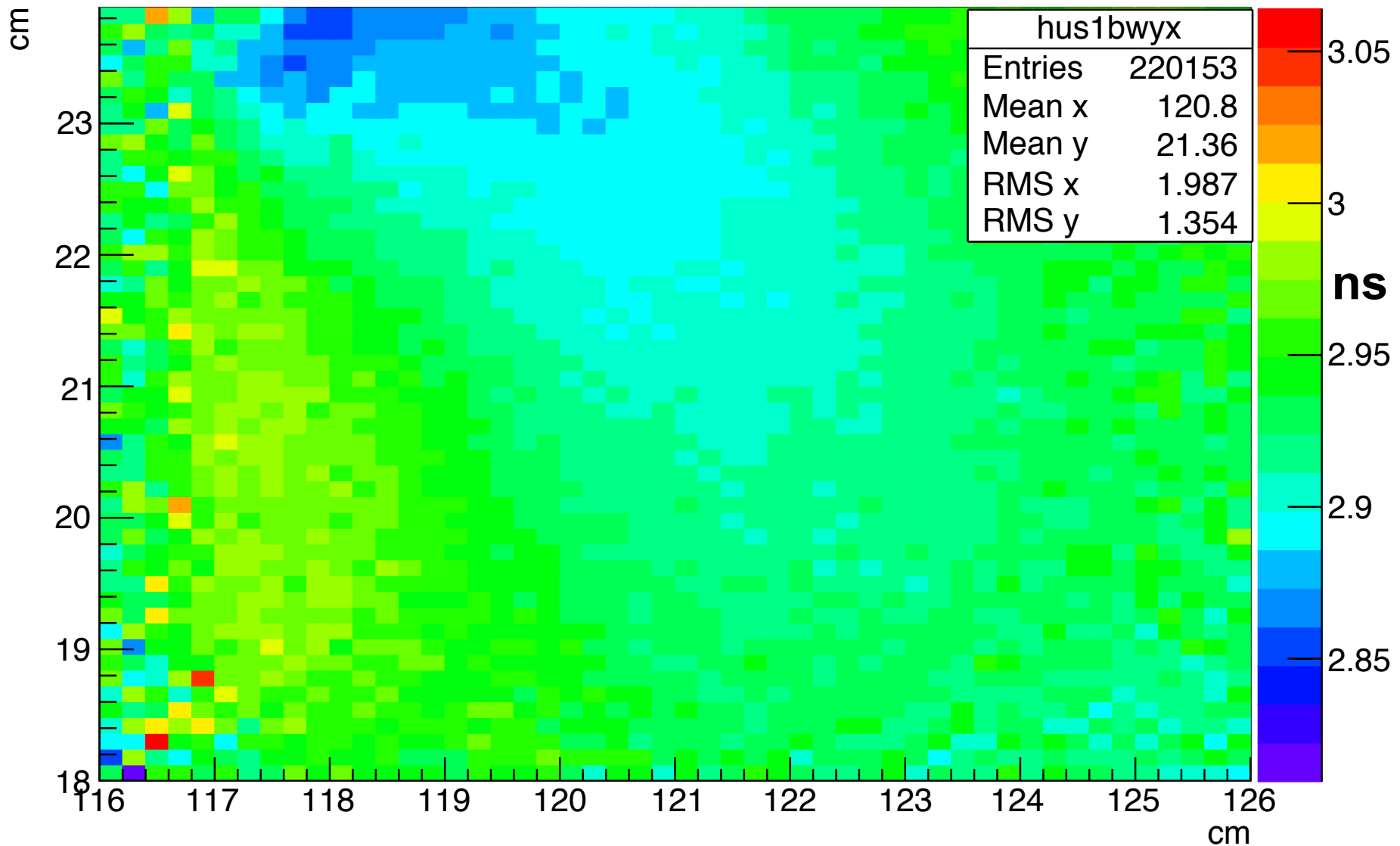
## Upstream Counter 0: Pulse Width in ns by XY



**Mild Pulse-Width dependence follows Amplitude**



## Upstream Counter 1: Pulse Width in ns by XY



Again, width tracks energy (modestly)

# Why the range in $\Delta t$ and what can we do about it?

- Large range in  $\Delta t$  probably arises because of qualitatively different optical paths between scintillation site and PMTs (line of sight vs. reflections). A general correction will probably require real work.
- At the cost of statistical power, we can probably improve our timing resolution just by cutting on where tracks strike the scintillator.

## ... Continued

- Use average of PMT pulse times
- Tune beam, place counters appropriately (not bad as is)
- Read out all four sides of scintillator
- Further study: establish simple optical properties, exact locations